Problem Sheet #7

Problem 7.1: not-or is a universal boolean function

Prove that not-or (∇) is a universal boolean function by showing how ∇ functions can implement the classic universal Boolean functions \land, \lor, \neg .

Problem 7.2: simplify a boolean expression using algebraic equivalence laws (4 points)

During our class meeting, we discussed the following boolean function:

 $F(X, Y, Z) = (((X \land Y) \lor (X \land \neg Z)) \lor (Z \land \neg 0))$

Using a truth table, we found that F is equivalent to G:

 $G(X, Y, Z) = (X \lor Z)$

By applying boolean equivalence laws, show that the boolean expression defining F can be transformed into the boolean expression defining G. In each step of your derivation, identify which boolean equivalence law you apply.

Problem 7.3: munged passwords (haskell)

(1+1+1 = 3 points)

Some people try to create stronger passwords through character substitutions. The substitutions can be anything the user finds easy to remember. We use the following substitution:

character a	b	С	d	е	f	g	h	i	I	0	q	S	х	у
substitution @	8	(6	3	{	9	#	1	!	0	2	\$	%	?

Using this table, the string hello world is munged into the string #3!!0 w0r!6.

- a) Write a collection of unit tests for the functions described below using the HUnit unit testing framework for Haskell.
- b) Implement a function encChar :: Char -> Char receiving a character and returning either the character itself or a substitution of it. Implement another function decChar :: Char -> Char implementing the inverse of encChar.
- c) Implement a function enc :: [Char] -> [Char] receiving a string and returning a string with all character substitutions applied. Implement another function dec :: [Char] -> [Char] implementing the inverse of enc.

Submit your Haskell code plus an explanation (in Haskell comments) as a plain text file.

Module: CH-232 Date: 2023-10-20 Due: 2023-10-27

(3 points)